

Monte Carlo simulation of ionisation chambers with Penelope

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Outline

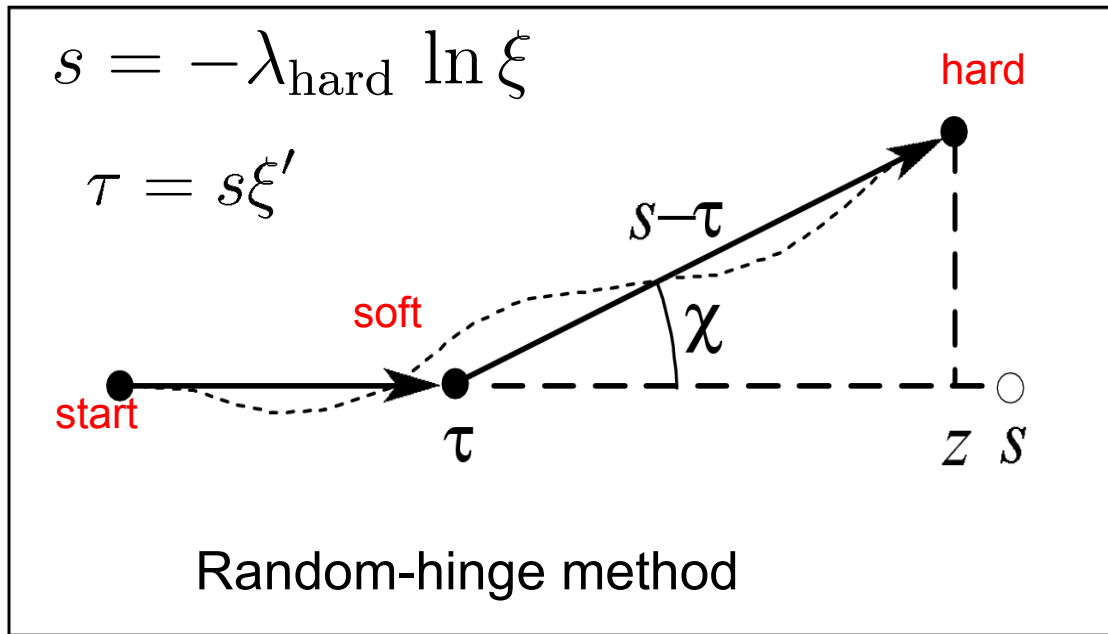
- The struggle of MC codes to accurately simulate ICs:
Interface effects in condensed history algorithms
- Stability test: the Fano theorem
(or “How to choose safe transport parameters”)
- Results for a real-life IC

Electron simulation strategies

- **Detailed simulation**, i.e. interaction-by-interaction
 - Highest accuracy, but VERY slow. Feasible only at low E 's.
- **Condensed history technique** (M J Berger 1963)
 - Multiple interactions along s (step length) simulated collectively in a single computational step.
 - Based on multiple scattering theories, which characterise PDFs (e.g. angular deflection, penetration depth) after a given s .
 - In general, larger steps s produce faster simulations but may reduce the accuracy.
 - CH should reproduce detailed simulation when $s \rightarrow 0$ (but this is not always the case).

Two modalities: **purely condensed (class I)** or **mixed (class II)**

Penelope's mixed simulation scheme



F Salvat *et al*
 NEA-6222, 2006
 (Penelope manual)

Hard ($\theta > \theta_c$, $W > W_c$)
Soft (the rest)

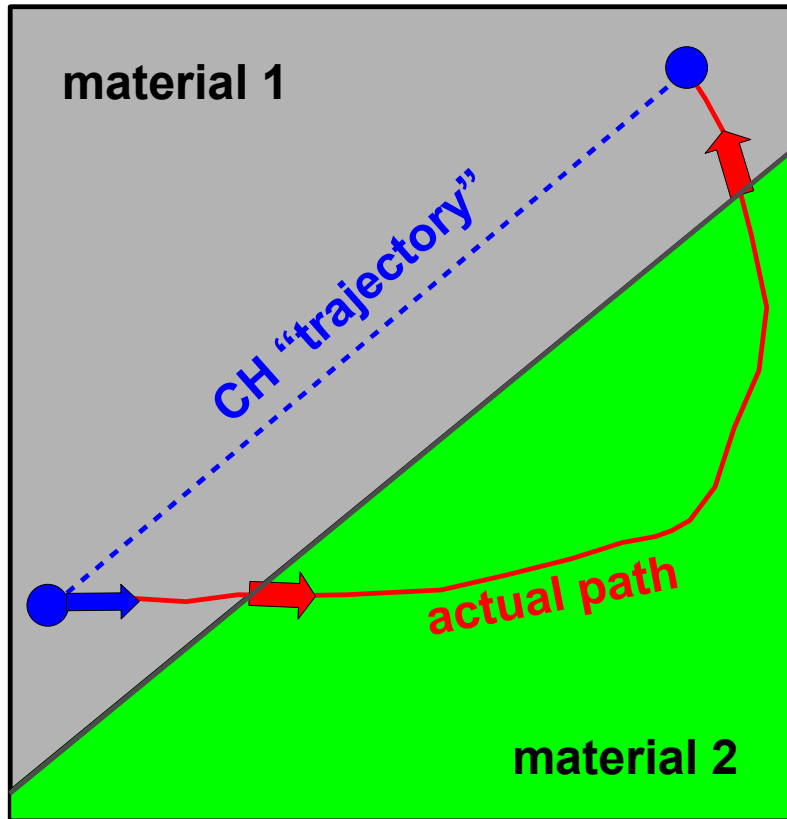
- $\theta_c = f(C1, C2)$
- WCC, WCR
- $s \leq \text{DSMAX}$

Accommodates detailed sim.

$$\langle z \rangle_{\text{sim}} = \frac{s}{2} + \frac{s}{2} \langle \cos \chi \rangle = s \left[1 - \frac{1}{2} \left(\frac{s}{\lambda_1^{\text{soft}}} \right) + \frac{1}{4} \left(\frac{s}{\lambda_1^{\text{soft}}} \right)^2 - \dots \right]$$

$$\langle z \rangle_{\text{Lewis}} = \lambda_1^{\text{soft}} [1 - \exp(-s/\lambda_1^{\text{soft}})] = s \left[1 - \frac{1}{2} \left(\frac{s}{\lambda_1^{\text{soft}}} \right) + \frac{1}{6} \left(\frac{s}{\lambda_1^{\text{soft}}} \right)^2 - \dots \right]$$

Interface effects



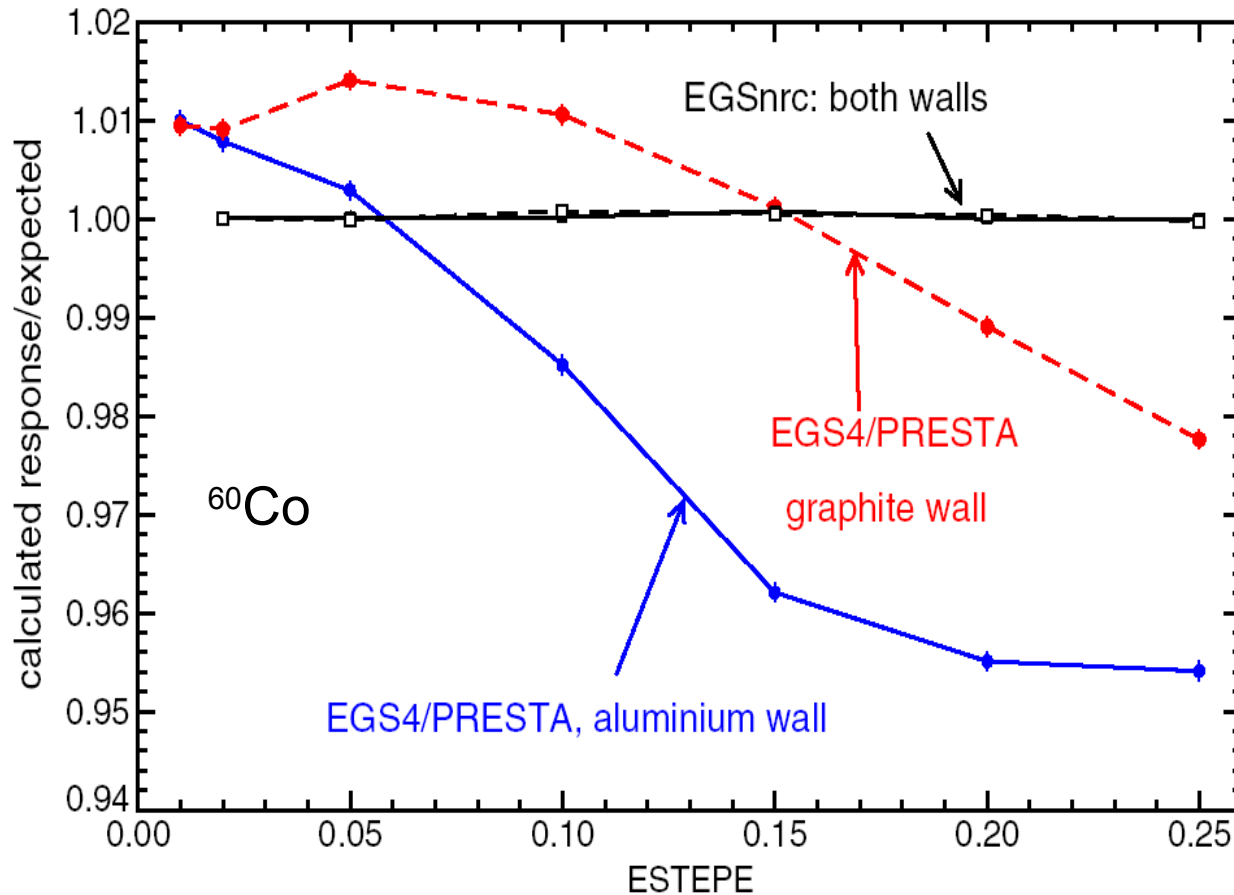
CH features:

- Approximate spatial moments
- Homogeneous medium assumed

Consequences:

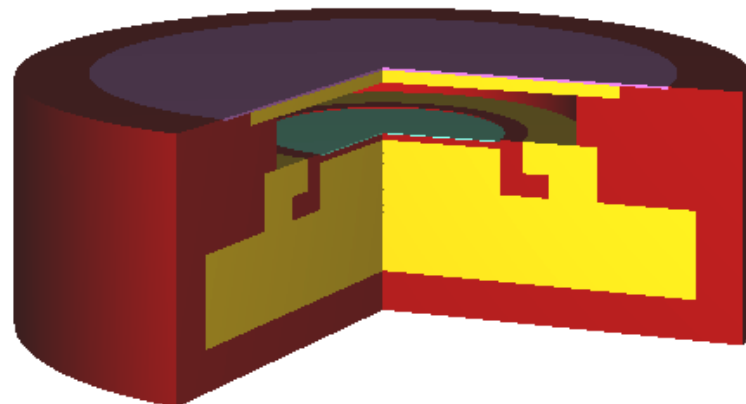
- Interface artefacts
- Results may depend on step size

Step size dependence



D W O Rogers
Phys. Med. Biol. 51 (2006)
(cover of the EGSnrc manual,
Kawrakow and Rogers 2000)

Penelope configuration for ^{60}Co



IBA-Scanditronix NACP-02

Region	C1	C2	WCC (keV)	WCR (keV)
air	0	0	0	0
graphite (skin)	0	0	0	0
Rexolite (skin)	0	0	0	0
graphite (skin2)	0.02	0.02	2	0.2
Rexolite (skin2)	0.02	0.02	2	0.2
graphite (outer)	0.05	0.05	5	0.5
Rexolite (outer)	0.05	0.05	5	0.5
water	0.10	0.10	10	1

Testing CH algorithms

- The deviation of the ratio $[D(s) / D_{\text{detail}}]$ from unity is a relevant measure of the quality of the electron transport algorithm.

The Fano test

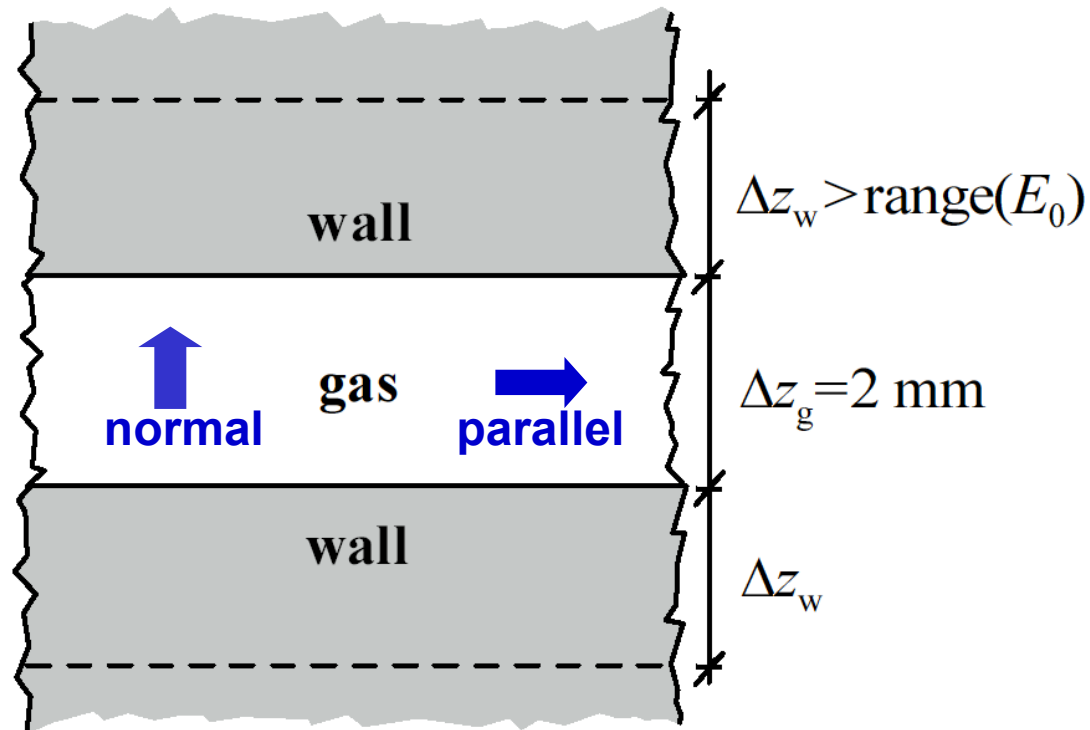
For a monoenergetic source energy conservation implies:

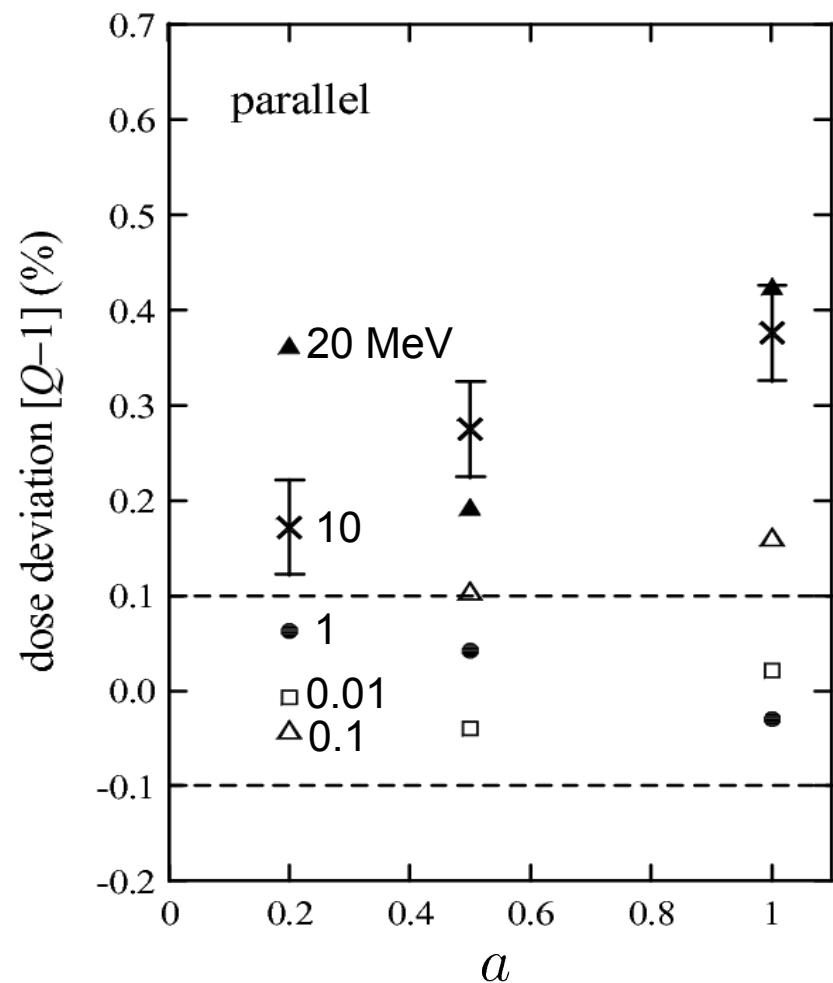
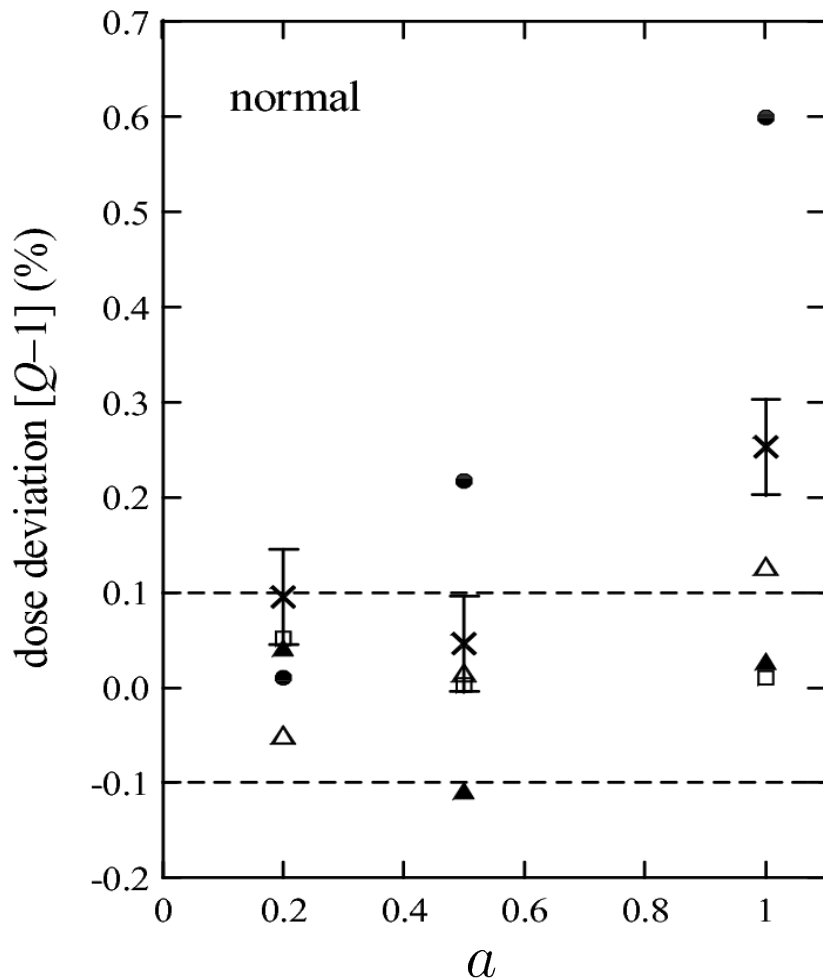
$$D = IE_0$$

$$Q \equiv \frac{D}{IE_0} = (\text{reciprocity theorem})$$

$$= \frac{E_{\text{gas}}}{NE_0} \left(1 + \frac{2\rho_w \Delta z_w}{\rho_g \Delta z_g} \right)$$

(line source, infinite detector)





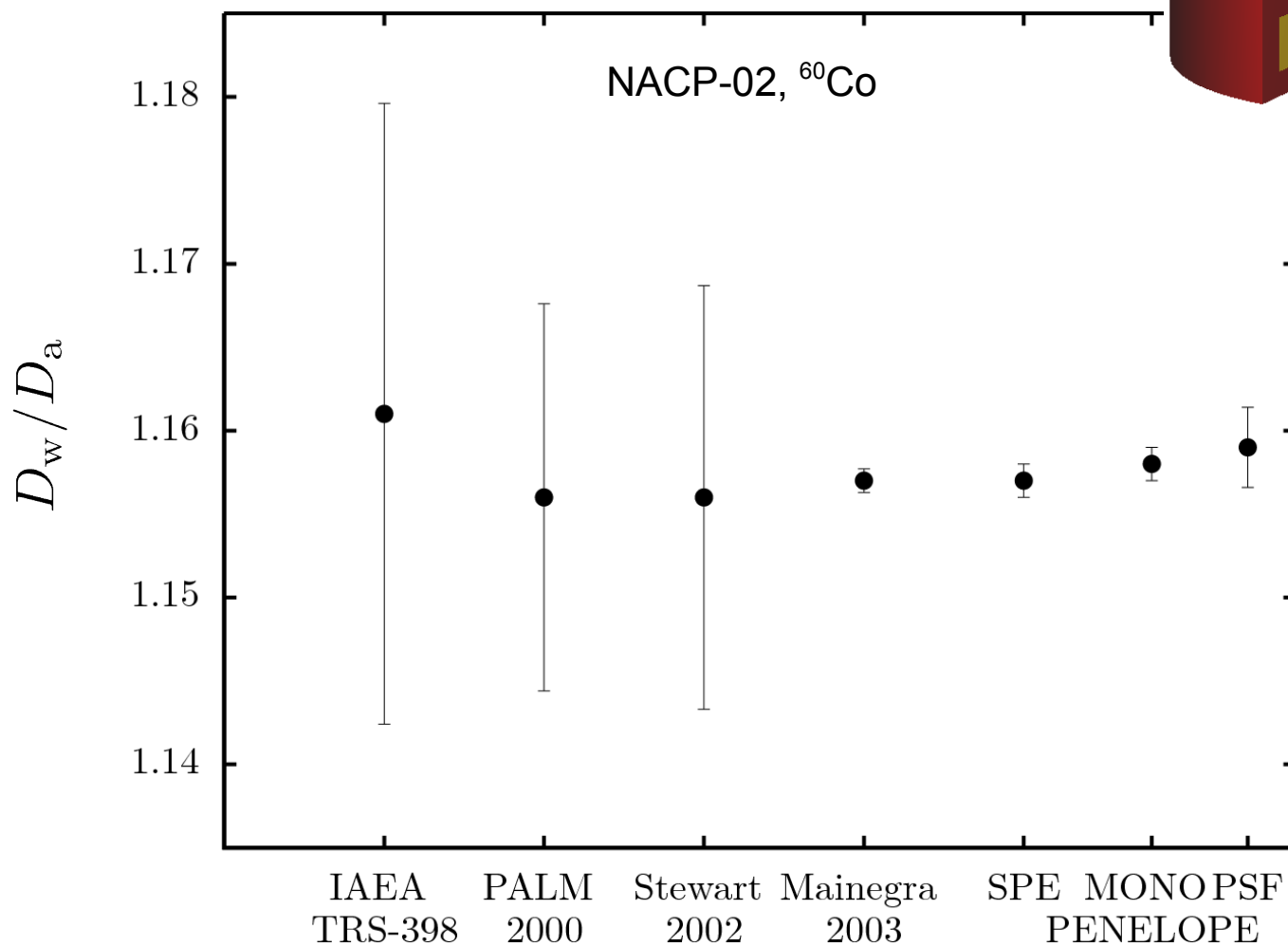
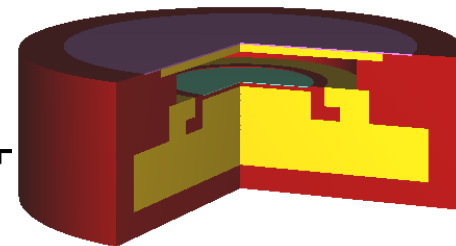
$$C1 = C2 = a/10$$

$$WCC = \min\{aE_0/100, 5 \text{ keV}\}$$

$$WCR = aE_0/1000 \text{ (photon transport off)}$$

J Sempau and P Andreo
 Phys. Med. Biol. 51 (2006)

Results



V Panettieri
et al,
in preparation

($10 \times 10 \text{ cm}^2$ field; reference conditions: SSD=100 cm, depth=5 cm)

Conclusion

- Penelope passes the Fano test at the $\sim 0.1\%$ level if the simulation parameters are set judiciously.
- ...this means that it will also reproduce IC response to a similar level of accuracy. (?)
- The possible effects of inaccuracies in the cross section models have not been comprehensively analysed.
 - The evaluation, under similar conditions, of ratios of absorbed doses tends to mitigate those effects. **(We hope.)**

At least we now know how to compute IC response in a **consistent** manner.

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Thank you.